Accel PrecalcHandout: Inverse Trig FunctionsNameUnit #6 Graphs and Inverses of Trig FunctionsLesson 8: Inverse Trig FunctionsEQ:

PART I

Recall: Answer these questions.

sin 30° = y $\cos 90^\circ$ = y $\tan 60^\circ$ = y sin $\theta = \frac{\sqrt{3}}{2}$ $\cos \theta = \frac{\sqrt{2}}{2}$ $\tan \theta = 1$

RECALL:

When given the ______ for a trig function and you're looking for an _____, you must use an ______ trig function.

 $-\frac{3\pi}{2}$

-2π

 $-\frac{\pi}{2}$

-**π**

Inverse Notation for Trig Functions: _____ ____

Recall: Graph the parent function y = sin x.

How does the graph of sine tell you it's a function?

Will the inverse of sine be a function?

We restrict the domain of sine from _____ to ____.

Therefore sin⁻¹ only exists in Quadrants _____ &___



<u>π</u>

T-2

π

<u>3π</u>

2π





- Ex. Find the value for each of the following.
 - 1. $\cos^{-1}(-\frac{1}{2}) = x$ 2. $\sin^{-1}(-1) = x$ 3. $\tan^{-1}(-\sqrt{3}) = x$

What about values not found on the unit circle?

Ex. Find the approximate value of $\sin^{-1}(\frac{1}{3}) = x$.

Ex. Find the approximate value of $\tan^{-1}(-\frac{1}{4}) = x$.

Ex. Find the approximate value of $sec^{-1}(6) = x$.

Ex. Find the approximate value of $\cot^{-1}(-\frac{3}{4}) = x$. *** Must give final answer in _____ quadrant.

> Assignment PW #1: Inverse Trig Functions

PART II

What makes these expressions different from the ones in Part I?

1.
$$\cos^{-1}\left(\cos\frac{-\pi}{3}\right)$$
 2. $\sin^{-1}\left(\sin\frac{11\pi}{6}\right)$ 3. $\sec^{-1}\left(\sec\frac{-\pi}{4}\right)$

4.
$$\cot^{-1}\left(\cot\frac{-3\pi}{2}\right)$$
 5. $\cos^{-1}\left(\cos\frac{5\pi}{4}\right)$

What makes these expressions different from #1 - 4?

6.
$$\sin\left(\tan^{-1}\frac{3}{2}\right)$$
 7. $\tan\left(\cos^{-1}\left(\frac{-5}{13}\right)\right)$ 8. $\tan\left(\cos^{-1}\frac{3}{4}\right)$

Use your graphing calculator to evaluate.

9.
$$\cos(\tan^{-1} 0.5)$$
 10. $\sec(\tan^{-1} 0.8)$

Assignment:
PW #2: Inverse Trig Functions
PW #3: Inverse Trig Function