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Ch 9.3: Sample Means
EQ:

## * Penny Activity

1. Use a small cup and select pennies from the class collection. At your desk, count out 25 pennies from your cup. Return the remaining pennies to the class collection.
2. Without looking at your pennies, sketch the density curve that you think best shows the shape of the distribution of ages of the pennies you have selected.
3. Complete the following frequency table and determine the age of your 25 pennies from this year.

4. Put your pennies in a cup and randomly select 5 pennies. Calculate $\bar{x}$. Replace the pennies and repeat for 4 more trials.
$T 1: \bar{x}(5)=$ $\qquad$ $T 2: \bar{x}(5)=$ $\qquad$ T3: $\bar{x}(5)=$ $\qquad$ T4: $\bar{x}(5)=$ $\qquad$ $T 5: \bar{x}(5)=$ $\qquad$
5. Repeat step \#5, except this time randomly select 10 pennies.
$\mathrm{T} 1: \bar{x}(10)=$ $\qquad$ $T 2: \bar{x}(10)=$ $\qquad$ $T 3: \bar{x}(10)=$ $\qquad$ T4: $\bar{x}(10)=$ $\qquad$ $T 5: \bar{x}(10)=$ $\qquad$
6. Repeat step \#5, except this time select all 25 pennies.
$\mathrm{T} 1: \bar{x}(25)=$ $\qquad$
7. Creating dot plots to show shape of our sampling distributions: Go to the board and place a dot at the age for each of your pennies. Use the correct color marker to plot your five means for penny samples of size 1, size 5, and size 10 and your one mean for sample size 25. After everyone has done this, sketch the shape of each histogram below.

RECALL: Shape of distribution of population of pennies.



$$
\bar{x}(n=25)
$$

## * CONCLUSION:

Our original population distribution was not described as Normal nor was it bell-shaped. In fact it was
$\qquad$ .

However, as we increased the $\qquad$ the distribution got close and closer to a $\qquad$ curve and could be approximated using a
$\qquad$ . This property is called the

- Sample Means --- $\qquad$ of observations
- Sample Means are $\qquad$ than $\qquad$ .
- Sample Means have a $\qquad$ than $\qquad$ ـ.


## RECALL: Sampling Proportions

$\qquad$
$\qquad$
$\qquad$ $=$ $\qquad$
The sampling distribution of $\qquad$ is $\qquad$ under what condition?
$\qquad$ and $\qquad$ satisfy the conditions $\qquad$ $\geq 10$ $\qquad$ $\geq 10$
$\qquad$ is the $\qquad$ of an $\qquad$ of size $\qquad$ drawn from a $\qquad$ with mean $\qquad$ and standard deviation $\qquad$ .

$\qquad$ from $\qquad$ behaves like $\qquad$

1. $\qquad$ estimator of $\qquad$
2. $\qquad$ for larger $\qquad$
3. Use Standard Error if ___ (__ Independence

## * Behavior of Sampling Means:

True no matter what $\qquad$ of the $\qquad$

- Central Limit Theorem ---SRS of size $\qquad$ taken from population with mean $\qquad$ and standard deviation $\qquad$ :

When $\qquad$ $\geq$ $\qquad$
$\qquad$ is $\qquad$ to N( $\qquad$ ,

- Law of Large Numbers --- draw observations at $\qquad$ from any $\qquad$ with finite mean $\qquad$ : As observations $\square$. $\neq$

$\qquad$
$\qquad$ $\neq$



## SPARK NOTES FOR THIS SECTION:

[1] The $\qquad$ is always $\qquad$ the from which the samples were drawn.
[2] The $\qquad$ is always $\qquad$ the
$\qquad$ divided by the $\qquad$ .
[3] [And the most amazing part!!] The $\qquad$ will increasingly as the $\qquad$ .

* Assignment: Worksheet: Sample Means;
p. 595-596

