

# In Class pp. 432 - 434

6.53 (a)  $S = \{\text{right, left}\}$ . (b)  $S = \{\text{All numbers between 150 and 200 cm}\}$ . (Choices of upper and lower limits will vary.) (c)  $S = \{\text{all numbers greater than or equal to 0}\}$ , or  $S = \{0, 0.01, 0.02, 0.03, \dots\}$ . (d)  $S = \{\text{all numbers between 0 and 1440}\}$ . (There are 1440 minutes in one day, so this is the *largest* upper limit we could choose; many students will likely give a smaller upper limit.)

6.54 (a)  $S = \{F, M\}$  or  $\{\text{female, male}\}$ . (b)  $S = \{6, 7, \dots, 20\}$ . (c)  $S = \{\text{All numbers between 2.5 and 6 l/min}\}$ . (d)  $S = \{\text{All whole numbers between } \underline{\hspace{1cm}} \text{ and } \underline{\hspace{1cm}} \text{ bpm}\}$ . (Choices of upper and lower limits will vary.)

6.55 (a) Legitimate. (b) Not legitimate: The total is more than 1. (c) Legitimate.

6.57 (a) The sum of all 8 probabilities equals 1 and all probabilities satisfy  $0 \leq p \leq 1$ . (b)  $P(A) = 0.000 + 0.003 + 0.060 + 0.062 = 0.125$ . (c) The chosen person is not white.  $P(B^c) = 1 - P(B) = 1 - (0.060 + 0.691) = 1 - 0.751 = 0.249$ . (d)  $P(A^c \cap B) = 0.691$ .

6.58 A and B are not independent because  $P(A \text{ and } B) = 0.06$ , but  $P(A) \times P(B) = 0.125 \times 0.751 = 0.0939$ . For the two events to be independent, these two probabilities must be equal.

6.59 (a)  $P(\text{undergraduate and score} \geq 600) = 0.40 \times 0.50 = 0.20$ .  $P(\text{graduate and score} \geq 600) = 0.60 \times 0.70 = 0.42$ . (b)  $P(\text{score} \geq 600) = P(\text{UG and score} \geq 600) + P(\text{G and score} \geq 600) = 0.20 + 0.42 = 0.62$

6.61 (a)  $P(\text{under 65}) = 0.321 + 0.124 = 0.445$ .  $P(\text{65 or older}) = 1 - 0.445 = 0.555$  OR  $0.365 + 0.190 = 0.555$ . (b)  $P(\text{tests done}) = 0.321 + 0.365 = 0.686$ .  $P(\text{tests not done}) = 1 - 0.686 = 0.314$  OR  $0.124 + 0.190 = 0.314$ . (c)  $P(A \text{ and } B) = 0.365$ ;  $P(A) \times P(B) = (0.555) \times (0.686) = 0.3807$ . Thus, events A and B are not independent; tests were done less frequently on older patients than would be the case if these events were independent.

6.64  $P(\text{first child is albino}) = 0.5 \times 0.5 = 0.25$ .  $P(\text{both of two children are albino}) = 0.25 \times 0.25 = 0.0625$   $P(\text{neither is albino}) = (1 - 0.25) \times (1 - 0.25) = 0.5625$ .