

p. 446

71) $A = \text{light truck}$ $B = \text{imported vehicle}$

$$P(A) = .69$$

$$P(B) = .22$$

$A' = \text{car}$

$B' = \text{domestic vehicle}$

$$P(A') = .31$$

$$P(B') = .78$$

$$P(A \cap B) = .55$$

$$\text{"Domestic Trucks"} = .55$$

a) $P(A') = .31$

b) $P(A' \cap B) = \text{Domestic Vehicles} - \text{Domestic Trucks}$

$$\text{"Domestic Cars"} = .78 - .55$$

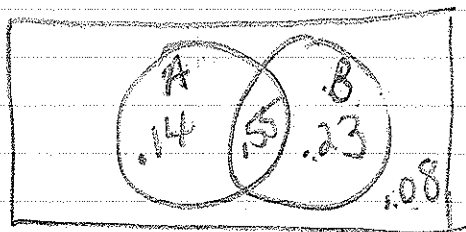
$$= .23$$

Cars - Domestic Cars = Imported Cars

$$.31 - .23 = \boxed{.08}$$

c) $P(A' | B) = \frac{P(A' \cap B)}{P(B)} = \frac{.08}{.22} = \boxed{.3636}$

OR you can make a Venn Diagram: $A = \text{light truck}$ $B = \text{Domestic vehicle}$



a) $P(A') = .23 + .08 = .31$

b) $P(A' \cap B) = .08$

c) $P(A' | B) = \frac{P(B' \cap A')}{P(B')}$
$$= \frac{.08}{.22} = .3636$$

$$d) P(\text{vehicle accn} | \text{vehicle imported}) \stackrel{?}{=} P(\text{vehicle accn})$$

$$\frac{P(A' \cap B')}{P(B')} \stackrel{?}{=} P(A')$$

$$\frac{.08}{.22} \stackrel{?}{=} .31$$

$$.3636 \stackrel{?}{=} .31 \quad \text{No}$$

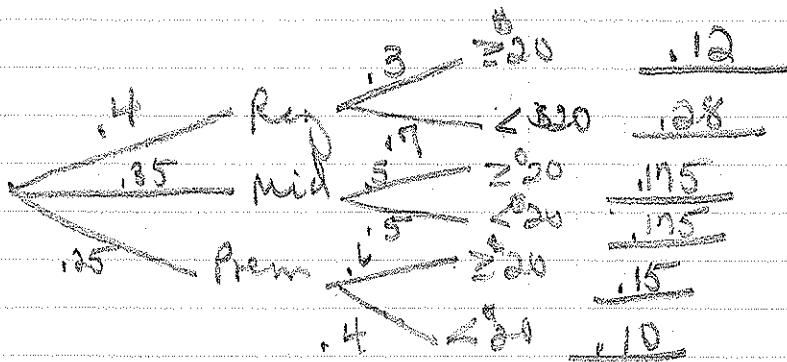
OR
from first part

$$P(A' \cap B) \stackrel{?}{=} P(A') \cdot P(B)$$

$$.08 \stackrel{?}{=} (.31)(.22)$$

$$.08 \stackrel{?}{=} .0682 \quad \text{No}$$

72



$$P(\text{pays} \geq 200) = .12 + .175 + .15$$

$$= .445$$

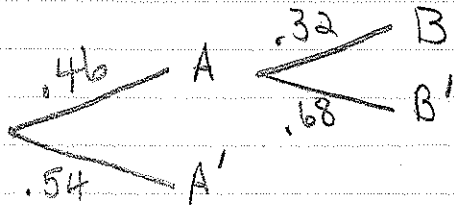
44.5%

73

$$P(\text{Pays premium} | \geq 200) = \frac{P(\text{Prem} \cap \geq 200)}{P(\geq 200)} = \frac{.15}{.445} = .337$$

33.7%

⑦④ $A = \text{choose a woman}$ $B = \text{person holds managerial position or professional}$
 $P(A) = .46$ $P(B|A) = .32$

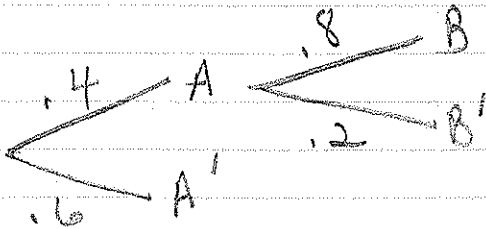


$$P(A \cap B) = P(A) \cdot P(B|A)$$

$$= (.46)(.32) = .1472$$

14.72%

⑦⑤ $A = \text{dollar falls}$ $B = \text{supplier demand renegotiation of contract}$
 $P(A) = .4$ $P(B|A) = .8$



$$P(A \cap B) = P(A)P(B|A)$$

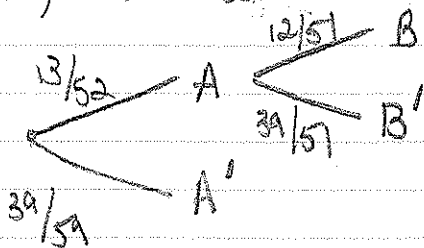
$$= (.4)(.8) = .32$$

32%

⑦⑥ $A = 1^{\text{st}} \text{ card a spade}$ $B = \text{second card a spade}$

a) $P(A) = \frac{13}{52}$

$P(B|A) = \frac{12}{51}$



b) $P(C|A \cap B) = \frac{11}{50}$

$P(D|A \cap B \cap C) = \frac{10}{49}$

$P(E|A \cap B \cap C \cap D) = \frac{9}{48}$

c) $P(\text{all 5 spades}) = \frac{13}{52} \cdot \frac{12}{51} \cdot \frac{11}{50} \cdot \frac{10}{49} \cdot \frac{9}{48} = .0004952$

d) 4 suits $\rightarrow 4(.0004952) = .00198$